

Invariance of Electro-magnetic equations L+M p 326

~~p 329~~ p 329 Lorentz transformation ~~introduces~~ reveals interdependence of electric & magnetic field intensities. What in one frame of reference is purely electric or purely magnetic, in the other is a compound of both

p 330

~~again Lorentz equations of $E_x, E_y, E_z, H_x, H_y, H_z$~~
 ~~$E'_x, E'_y, E'_z, H'_x, H'_y, H'_z$ can be~~

Again transformation could be effected by expressing $E'_x, E'_y, E'_z, H'_x, H'_y, H'_z$ in terms of \underline{v} and ρ and solving by ordinary kinematical procedure

E, H defined by equations p 311 ff

p 315 Electromagnetic field equations - not laws
- but principles, probably underlying all electrodynamics

p 315f. Mentions Poincaré's derivation from principle of conservation of energy.

p 432. Contrast by EA Milne

1 for some not all observers

2 choice of space for each obs. arbitrary
Relativity = combinations of space + time for set of observers -

3 no natural measure of time which may
be called proper time

observer's choice - congruent clocks -
graduated so that apparent uniform relative
motion - $\varphi(t) \equiv t$ - Riemannian time

Lorentz formula for combining two
descriptions of events

4 essentially homogeneous universe in expansion
finite portion of Euclidean space - same properties
at the same epoch - in every point
singularity / creation / density of edge

5 sequences - energy invariant

6 variation in $\frac{g}{R}$ for scale factor

capable of accounting for spiral wts

2

" The basis of space arbitrary for any observer. It is fully entitled to choose a private Euclidean space for the description & location of the phenomena he observes. The aspect of relativity is then achieved by correlating the spaces & times used by different observers "

p 433

E.A. Milne, Relativity, Gravitation & World Structure Oxford 1935

Super^{the} Investigations pp 1-21 ff

p. 16 "We require another observer, or indeed an array of other observers, whose experiences may be compared with one another, before there is any sense in speaking of a relativity, before a relativity can possibly exist."

p. 14 f Ultimateity of time as experienced

Axiom 1 To every observable there corresponds an operator

Axiom 2 To every state of a physical system there corresponds a function, called a state function, $\psi(x)$

Axiom 3 The only values which measurements of an ^{observable} operator can yield are the eigenvalues of its operator

$$P\psi = p_1\psi_1 \quad \left| \begin{array}{l} \text{for each value of} \\ \text{observable } p_1 \text{ there is} \\ \text{a normalized function } \psi_1 \end{array} \right.$$

Axiom 4 Let $\psi_q(x)$ be the eigenfunction belonging to the eigenvalue q of Q .

compute $b(q) = \int_{-\infty}^{+\infty} \psi(x) \psi_q(x) dx$

$$\text{then } W(q) = b^2(q)$$

$W(q)$ is the probability that when the system is in the state $\psi(x)$ the measurement of the observable will be q

i.e. $|\phi(q)|^2$ is the probability that the observable is q

Axiom 5 If ψ is known at $t=0$ then

$$H\psi = i\hbar \frac{\partial \psi}{\partial t}$$

where H is the energy operator and $\hbar = h/2\pi$

The operator quantum yields ^{as many} functions ψ_λ

or 1) there are operators

2) there are eigenvalues ϕ_λ

The Schrödinger kinetic equation yields
state functions ϕ

Understanding data

- 1° Invariant | Not independent
- 2° Correlation of measurements
- 3° Terms implicitly defined by correlations
mass | special relativity | electromagnetic
- 4° Geometrical conjugates
state then or states to which
mathematical expressions represent
States are related to
descriptive elements
States are related to an
another
- 5° Newtonian mechanics
State dx/dt
Relations Action + Reaction
Independence relativity
- 6° States related to another { mechanical
thermodynamic
electromagnetic
- 7° Relativity { 1) Special - electromagnetic, New mechanics
2) General - Gravitation
3) Generalized - E-H also unified

8° Q Mechanics

ϕ - function of state

only observables - $P\phi = p_a \psi_a$

probability of observables - ϕ

successor states -

Schrödinger time equation

9° Explanation for Solids

Material Science

objectivity \rightarrow microscopic

deterministic \rightarrow abstract with deterministically observed

degree of abstraction

10° Relativity & QM

R - relativistic mechanics

QM - on which meaning given

Degree of abstraction

let distributions determine tensors

Simultaneity is a symmetrical transitive
relation between ^{distinct} events in time

Sym
Trans.
Event
Distinct

Event what is known by verifying - it happens

^{opposed} apart from content of any description / also correct
exploration / moment

have different from "simultaneous" equations

at "same" time

1^o No apriori expectation of invariance

2^o Many of simultaneity with a rule governing
transformations

Such rules as rules for mediating different processes / means

All simultaneities are within universes of meaning

Generalised Theory

The Heuristic Principle

Relativity

Then an explanatory system

They decide ~~among~~ amongst
for extensions & derivations

The ^{basic} physical geometry is
selected by the invariance of
the equation for the interval

The relations between laws
of the same domain
& their verification

in spatio-temporal events
is mediated by ~~the case~~
appropriate tensors

Verified

when no systematic divergence in data

Deductions over 10^9 years - ?

Third Intelligibility

Deductive Exposition

$$g_{ik;l} = 0 \quad \Gamma_i = 0 \quad R_{ik} = 0 \quad g_{,s}^{is} = 0$$

Other Relativities

- 2° Omit application of universal or absolute
 - 1° Accept negation of sense-like absolute
-

Milne | General statements simultaneity

1° | The set of equivalent observers

2° ~~Generalised~~ Lorentz invariance

3° Invariance not for all but for some observers

not methodological relativity - by 3°

MR has no proper kinematic theory

Prohibitions establish how

Final

and suitable expression

~~measurements~~ steps can be separated: Newton + SR.